

 1.
 Conner collects coints. One quarter of his coins are pennies, one fifth are nickels, one third are dimes, and the remaining 13 are quarters. In total, how many coins are in Conner's collection?

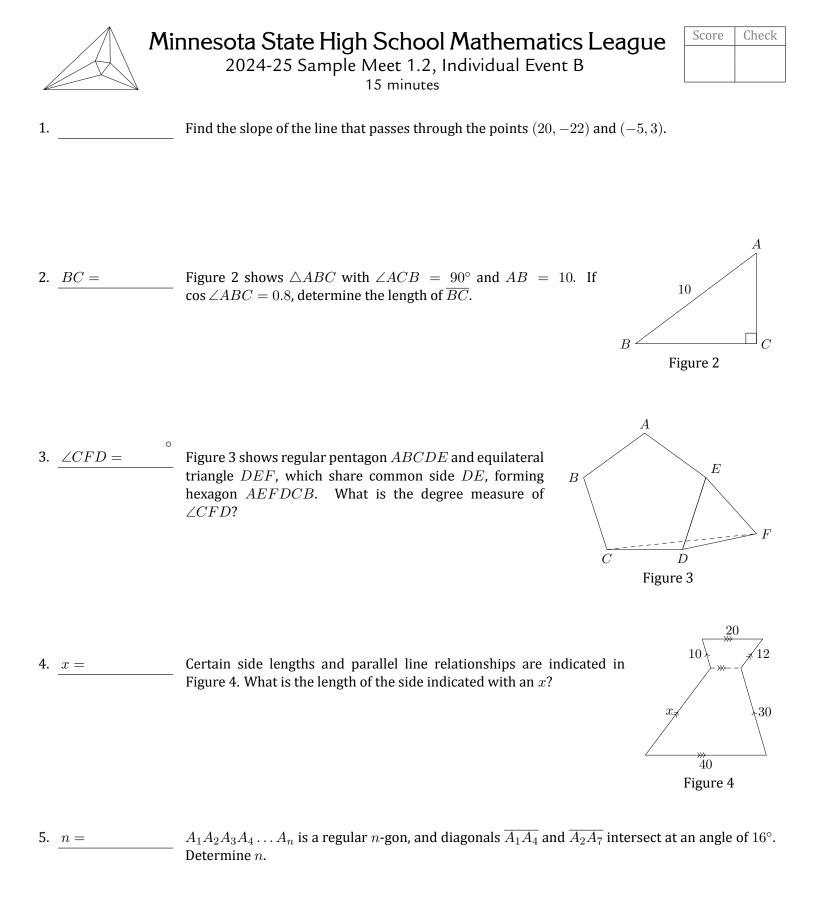
2. n = If $2^{12} \times 8^{12} = 4^n$, what is *n*?

3. <u>students</u> Students at Marie Curie High School participated in three different field trips. Sixty percent of the students went on the first field trip, 90% went on the second trip, and 75% went on the third trip. A total of 135 student went on all three trips, and each of the other students went on exactly two trips. How many students attend Marie Curie High School?

4. _____ Find
$$\sqrt[3]{4} \cdot \left(\frac{1}{54}\right)^{-\frac{1}{3}}$$
.

5. matches The addition puzzle shown below represents the valid sum OLD + OLD + SENOR = MAYOR, where all instances of a particular letter correspond to the same digit. What 5-digit number is represented by the word MAYOR?

| OLD |
|-------------|
| OLD |
| + S E Ñ O R |
| MAYOR |



| Minnesota State High School Mathematics League | Score | Check |
|--|-------|-------|
| 2024-25 Sample Meet 1.2, Individual Event C | | |
| 15 minutes | | |

1. _____ Four gatens make up a barsak, and a curbon is 16 gatens. How many barsaks are in a curbon?

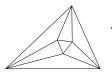
2. _____ The average of two numbers is 7. When a third number is included, the average of the three numbers is 8. What is the third number?

3. _____ How many unique values result when each \boxdot is replaced by either + or \times in the expression shown? (Order of operations applies!)



4. How many digits are in the base-ten representation of $4^3 \cdot 12^6 \cdot 25^9$?

5. $\underline{a} =$ Suppose *a* and *b* are positive integers with a + b = 2022 and a < b. If $5 \cdot \text{gcd}(a, b) = \text{lcm}(a, b)$, find *a*.



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2024-25 Sample Meet 1.2, Team Event

30 minutes

- 1. B A = In a group of 62 students, 44 are taking physics and 52 are taking mathematics. If x is the number of students taking both physics and mathematics, then the minimum possible value of x is A and the maximum possible value of x is B. Find B A.
- 2. _____ The measures of the angles of a triangle are in the ratio 20 : 9 : 7. Find the measure (in degrees) of the smallest angle.
- 3.
 A computer science class consists of both juniors and seniors, with seniors comprising more than 94% of the class. What is the smallest size the class can be?

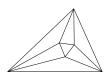
4.
$$\underline{\frac{1}{ab}} =$$
 Let $a = 0.\overline{18}$, and $b = 0.0\overline{3}$ (so $a = 0.181818...$ and $b = 0.03333...$). Find $\frac{1}{ab}$.

- 5. ______ Starting with a full tank of gas, Brenna's car can normally drive 330 miles at highway speed. By driving slower she can use 25% less gas per mile, but driving her car into a headwind always uses 10% more gas per mile than it would have otherwise. How far can Brenna drive her car, starting with a full tank of gas, if she drives slower but into a headwind?
- 6. _____ How many positive integers *N* are there such that the least common multiple of *N* and 4! equals 4 times the greatest common divisor of *N* and 8!?

(As usual we define $k! = k \cdot (k-1) \cdot (k-2) \cdot \cdots \cdot 3 \cdot 2 \cdot 1$).

Score

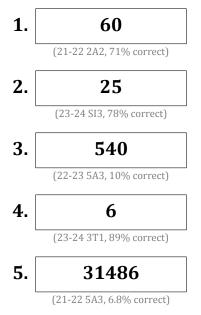
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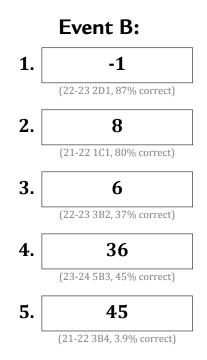


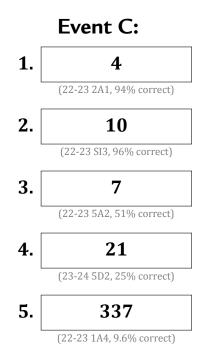
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2024-25 Sample Meet 1.2, Answers

Event A:







Team Event: 1. 10 (20-21 5C3, 28% correct) 2. 35 (22-23 ST1, 100% correct) 3. 17 (20-21 5T1, 75% correct) 4. 165 (22-23 SA2, 40% correct) 5. **400** (21-22 1A3, 7.1% correct) 6. 16 (20-21 5T6, 9.3% correct)